Criminal Case of the Mysterious Cookie Thief

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Sweet Treat Bakery is well known in town Sweetville.

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[a]https://deepai.org/machine-learning-model/text2img

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$$Pr(Alice) > Pr(Bob) > Pr(Carol)$$

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Update with more knowledge (Bayes' Theorem Unveiled)

$$Pr(Carol \mid be\ witnessed) > Pr(Bob \mid cookie\ crumbs) > Pr(Alice)$$

Baye's Theorem

Machine Learning Foundation!

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Key formulae

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